

Name:

I.D. Number:

Question One: [5 points] Let $I \subseteq \mathbb{R}$ be an interval and let $f: I \to \mathbb{R}$ and $g: I \to \mathbb{R}$ be functions that are differentiable at c. Show that fg is differentiable at c and (fg)'(c) = f'(c)g(c) + f(c)g'(c)

Question five: [5 points] State and prove the mean value theorem. Question Two: [8 points (4+4)] Question five: [5 points]

Circle True or False. Read each statement carefully before answering.

Part I True False

TIf $f: \mathbb{R} \to \mathbb{R}$ is an even function and has a derivative at every point, then the derivative is an odd function

Part II True False

F If a > b and c < 0, then ca > cb.

Part III True False

FEvery bounded sequence is convergent.

Part IV True False

FThe sum of two divergent sequences diverges.

Part V True False

FA monotone sequence of real numbers is divergent.

Good Luck